



# DATA AND INFORMATION PROCESSING

Earth Science Engineering MSc

2018/2019 1<sup>st</sup> semester

COURSE COMMUNICATION DOCUMENT

**University of Miskolc  
Faculty of Earth Science and Engineering  
Institute of Geophysics and Geoinformatics**

## Course datasheet

<b>Course title:</b> Data and information processing <b>Responsible instructor</b> (name, position, scientific degree): Dr. Dobróka Mihály, professor emeritus, Dr. Endre Turai associate professor	<b>Neptun code:</b> MFGFT7100031 <b>Responsible department/institute:</b> Institute of Geophysics and Geoinformatics / Department of Geophysics <b>Type of course: K</b>
<b>Position in Curriculum (which semester):</b> 2	<b>Pre-requisites:</b> none
<b>Number of Contact Hours per Week (lec.+prac.):</b> 2+1	<b>Type of Assessment (examination / practical mark / other):</b> exam
<b>Credits:</b> 4	<b>Course:</b> full-time <b>Program:</b> Earth Science Engineering MSc
<b>Course Description:</b> Understanding the basics of inversion method-based geoinformation processing for Earth Science Engineers.	
<b>Competencies to evolve:</b> <b>Knowledge:</b> T1, T2, T3, T6, T9 <b>Ability:</b> K2, K6, K7 <b>Attitude:</b> A1, A2, A3, A4, A5, A7 <b>Autonomy and responsibility:</b> F1, F2, F3, F4, F5	
<b>The short curriculum of the subject:</b> Introduction to the vector analysis. Multidimensional Euclidean spaces: N-dimensional dataspace, M-dimensional model parameter space. The parameters of inversion-based data and information processing. Classification of geophysical problems: direct problem, inverse problem. Explicit and implicit forms of direct problems. The linearization of the nonlinear direct problems, introduction of the Jacobi-matrix. The linear inverse problems. Solution of the overdetermined linear inverse problems: Gaussian Least Squares method (LSQ). Normal equation, stability, condition number. Definition of the generalized linear inverse problem. Solution of the underdetermined linear inverse problem by Lagrange multipliers, generalized inverse problem. The principle of the simple solution. The principles of information theory. The theory of signals. The principles of data and information processing by means of inversion methods. Modeling, model types. Theoretical and measured characteristics. Error characteristic parameters in the data and the model space. The purport of local and global inversion methods. Spectral transformations (Fourier integral transformation, DFT, FFT, Z-transformation). Convolution, discrete convolution. Correlation functions, discrete correlation functions. Deterministic filtering. Image processing filters.	
<b>Assessment and grading:</b> Attendance at lectures is regulated by the university code of education and examination. Writing two tests at least satisfactory level, respectively during the semester is the requirement of signature.	
<b>Exam grading scale:</b> unsatisfactory (0-45%), satisfactory (46-60%), medium (61-70%), good (71-85%), excellent (86-100%).	
<b>The 3-5 most important compulsory, or recommended literature (textbook, book) resources:</b> 1 Dobróka M., 2001: The Methods of Geophysical Inversion. University textbook, University of Miskolc. 2. W. Menke, 1984: Geophysical Data Analysis: Discrete Inverse Theory. Academic Press Inc. 3. Mrinal Sen and Paul L. Stoffa: Seismic Exploration - Global Optimization: Methods In Geophysical Inversion. Software, Elsevier Science Ltd. 1997. 4. Szabó N.P., Dobróka M.: Float-encoded genetic algorithm used for the inversion processing of well-logging data Global Optimization: Theory, Developments and Applications: Mathematics Research Developments, Computational Mathematics and Analysis Series. New York: Nova Science Publishers Inc., 2013. pp. 79-104. 6. P.J.M. van Laarhoven, E.H.L. Aarts, 1987: Simulated Annealing: Theory and Applications. D. Reidel Publishing Company, ISBN 90-277-2513-6	

## ***Syllabus of the semester***

<b>Week</b>	<b>Lecture</b>
Sept. 12.	Introduction to the vector analysis. Multidimensional Euclidean spaces: N-dimensional dataspace, M-dimensional model parameter space.
Sept. 19.	Sport day.
Sept. 26.	The parameters of inversion-based data and information processing.
Oct. 3.	Classification of geophysical problems: direct problems, inverse problems. Explicit and implicit forms of direct problems.
Oct. 10.	1st mid-term test.
Oct. 17.	The linearization of the nonlinear direct problem, introduction of the Jacobi-matrix.
Oct. 24.	The linear inverse problem.
Oct. 31.	Solution of the overdetermined linear inverse problems: Gaussian Least Squares method (LSQ).
Nov. 7.	Normal equation, stability, condition number.
Nov. 14.	Definition of the generalized linear inverse problem.
Nov. 21.	Solution of the underdetermined linear inverse problem by Lagrange multipliers.
Nov. 28.	The generalized inverse problem.
Dec. 5.	2nd mid-term test.
Dec. 12.	The principle of the simple solution.

<b>Week</b>	<b>Lectures and seminars of Spectral Data and Information Processing</b>
11/09/2018	Starting test. Basis of information theory. Signal theory.
18/09/2018	Discretization. Errors of discretization.
25/09/2018	A/D conversion. A/D converters.
02/10/2018	Fourier-transform. Discrete Fourier Transform (DFT).
09/10/2018	Fast Fourier Transform. Z-transform.
16/10/2018	Spectrum calculation using Z-transformation.
23/10/2018	Educational break.
30/10/2018	1st written midterm exam. Convolution. Discrete convolution.
06/11/2018	Correlation functions (auto- and cross-correlation function).
13/11/2018	Discrete correlation functions (discrete auto- and cross-correlation function).
20/11/2018	Basis of deterministic and stochastic filtering.
27/11/2018	Image processing.
04/12/2018	2nd written midterm exam.
11/12/2018	Semester closing.

## Midterm practical exams from the Spectral Data and Information Processing:

xx.xx.201x, Miskolc

### Data and Information Processing I.

(Solution time: 50 minutes)

Engineering in Technical Earth Science MSc

### 1st midterm practical exam, A

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Name with Neptun code

1. Draw up the error vector of discretization in a complex plan when there is an angle of 60 degrees between the error vector and horizontal axis (10 points).
2. Give the sampling error in percent when sampling number is  $5 \cdot 10^3$  (10 points).
3. Give the conversion error (amplitude resolution error) of 10 bits A / D converter in percent (10 points).
4. Derive dimension right Inverz DFT formula (8 points) and index right Inverz DFT formula (4 points) from analytic Fourier-transform.
5. Calculate and give the type of following filter (10 points).

$$\{w_n\} = \left( -1, \overset{\downarrow}{2}, -1, 1 \right), \Delta t = 0.5 \text{ sec} .$$

6. Calculate the 6 bits digital code of 651 mV in 0 mV and 1024 mV signal interval (24 points).
7. Calculate the complex spectrum - F(f) - of the following discrete data series using Z-transformation and give real spectra – Re(f), Im(f), A(f) and  $\Phi(f)$  - of the complex spectrum (24 points).

$$\left[ \overset{\downarrow}{1}, -1, 2, 1, -2 \right], \Delta t = 2 \text{ sec}, f = 0,125 \text{ Hz}.$$

<b>Result:</b>	80.5-100.0 points:	A1 level (5),
	70.5-80.0 points:	A2 level (4.5),
	60.5-70.0 points:	B level (4),
	50.5-60.0 points:	C level (3.5),
	40.5-50.0 points:	D level (3),
	30.5-40.0 points:	E1 level (2.5),
	20.5-30.0 points:	E2 level (2),
	0.0-20.0 points:	F level (1).

Solution: tasks are solved in seminars.

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Name with Neptun code

1. Given the following time series:  $\Delta t = 0.5 \text{ sec}$ ,
- $$\{x_n\} = (\overset{\downarrow}{1}, -1, 1, 2, -2), \quad \{y_n\} = (\overset{\downarrow}{1}, -2, 2, 2, -1).$$
- 1.a., Calculate the discrete corrected cross-correlation function  $\{R_{xy}(k)\} = (R_{-3}, R_{-2}, R_{-1}, R_0, R_1, R_2, R_3)$ , and illustrate the result in figure using Dirac pulse sequence (24 points).
- 1.b., Calculate the discrete corrected autocorrelation function:  $\{R_{xx}(k)\} = (R_{-3}, R_{-2}, R_{-1}, R_0, R_1, R_2, R_3)$ , and illustrate the result in figure using Dirac pulse sequence (16 points).
2. Derive the dimension right discrete cross-correlation formula (6 points) and index right discrete cross-correlation formula (4 points) from analytic cross-correlation.
3. Given the following discrete time series:  $\Delta t = 2 \text{ sec}$ ,
- $$\{x_n\} = (\overset{\downarrow}{2}, 1, -2, 1, 0, 2, -1, 2), \quad \{w_n\} = \left( \overset{\downarrow}{1}, -1, \overset{\downarrow}{3}, -2 \right)$$
- Determine the values of discrete convolution  $\{x_n\} * \{w_n\}$  and draw the functions  $w_n$ ,  $x_n$  and  $y_n$  in figure using Dirac pulse sequence (30 points).
4. Calculate and give the type of following filter (10 points).
- $$\{w_n\} = \left( 2, -2, \overset{\downarrow}{4}, -1, 1 \right), \quad \Delta t = 0.5 \text{ sec}.$$
7. Give and draw up the  $A(f)$  spectrum of transmission characteristics ( $W(f)$ ) of an ideal bandpass filter (10 points).

<b>Result:</b>	80.5-100.0 points:	A1 level (5),
	70.5-80.0 points:	A2 level (4.5),
	60.5-70.0 points:	B level (4),
	50.5-60.0 points:	C level (3.5),
	40.5-50.0 points:	D level (3),
	30.5-40.0 points:	E1 level (2.5),
	20.5-30.0 points:	E2 level (2),
	0.0-20.0 points:	F level (1).

Solution: tasks are solved in seminars.

## **Sample for the exam**

Please, describe the basics of LSQ method, deduce the normal equation. Please, determine the condition number of normal equation's matrix.

*The solution can be found in the university text book „The methods of geophysical inversion”.*